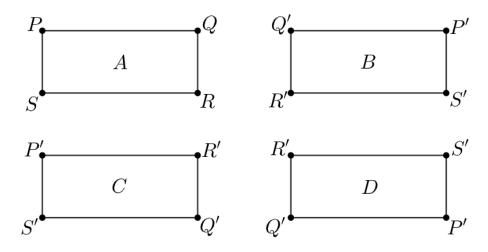
Lesson 2.01 Congruent Parts

Geometry GT

Analyze

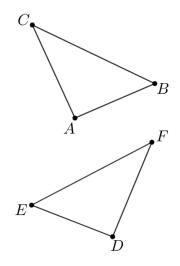
What do you notice? What do you wonder?



Explore

In the figure, ΔABC is congruent to ΔDEF .

A. Find a rigid transformation that takes ΔABC to ΔDEF .

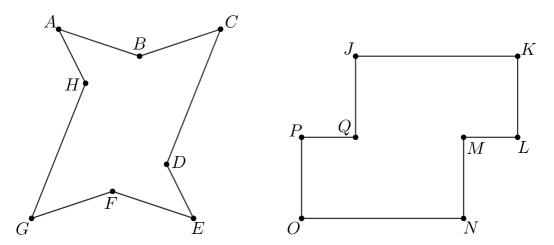


B. What is the image of segment \overline{BC} after that transformation?

C. Explain how you know those segments are congruent.

D. Justify that $\angle ABC \cong \angle DEF$.

For each figure, draw additional line segments to divide the figure into two congruent polygons. Label any new vertices and identify the corresponding vertices of the congruent polygons.

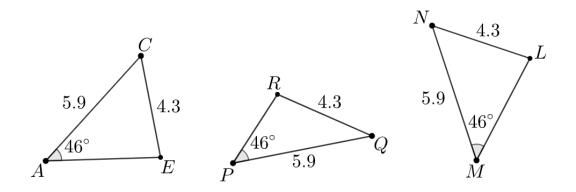


Theorem

If two figures are congruent, then corresponding parts of those figures must be congruent.

Discuss

Here are three triangles.

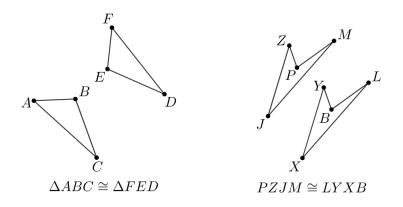


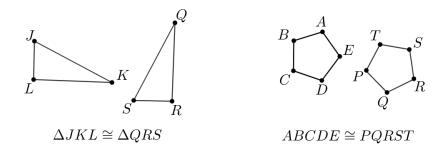
A. ΔACE is congruent to which triangle? Explain your reasoning.

B. Describe a rigid transformation that takes ΔACE to that triangle. Draw each step of the transformation.

Demonstrate

Each pair of figures is congruent. Decide whether each congruence statement is true or false.





Practice

1. Triangle ΔFGH is the image of isosceles triangle ΔFEH after a reflection across segment \overline{HF} . Select **all** the statements that are a result of corresponding parts of congruent triangles being congruent.

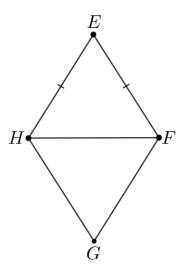
A. EFGH is a rectangle

B. EFGH has 4 congruent sides

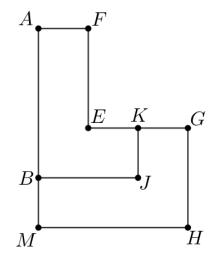
C. Diagonal \overline{FH} bisects angles $\angle EFG$ and $\angle EHG$

D. Diagonal \overline{FH} is perpendicular to side \overline{FE}

E. Angle $\angle FEH$ is congruent to angle $\angle FGH$



2. Figure MBJKGH is the image of figure AFEKJB after being rotated 90° counterclockwise about point K. Draw a segment in figure AFEKJB to create a quadrilateral. Draw the image of the segment when rotated 90° counterclockwise about point K. Write a congruence statement for the quadrilateral you created in figure AFEKJB and the image of the quadrilateral in figure MBJKGH.



3. Triangle ΔHEF is the image of triangle ΔFGH after a 180° rotation about point K. Select **all** statements that must be true.

A. $\Delta FGH \cong \Delta FEH$ B. $\Delta EFH \cong \Delta GFH$ C. $\angle KHE \cong \angle KFG$ D. $\angle GHK \cong \angle KHE$ E. $\overline{EH} \cong \overline{FG}$ F. $\overline{GH} \cong \overline{EF}$

4. Triangle $\Delta A'B'C'$ is a reflection of triangle ΔABC across line \overrightarrow{BC} . Justify why \overrightarrow{BC} is the angle bisector of angle $\angle ABA'$.

